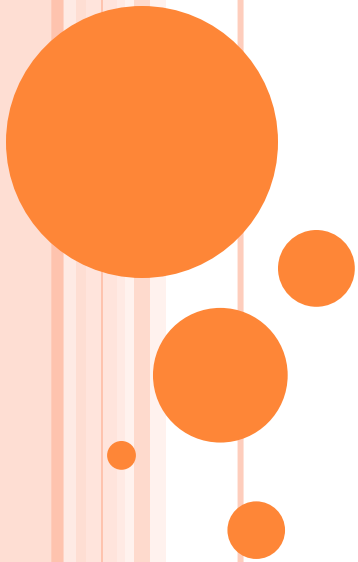


University of technology
Laser and optoelectronics eng. Dept.

LASER APPLICATION COURSE
4TH YEAR
LEC.6



LASER CUTTING

- Industrial laser cutting is done with CW or pulsed CO₂ & high-repetition pulsed Nd-YAG lasers. The process is a gas-assist technique in which, under pressure, forces molten material from the kerf, Oxygen is used with oxidizable material to increase cutting speed

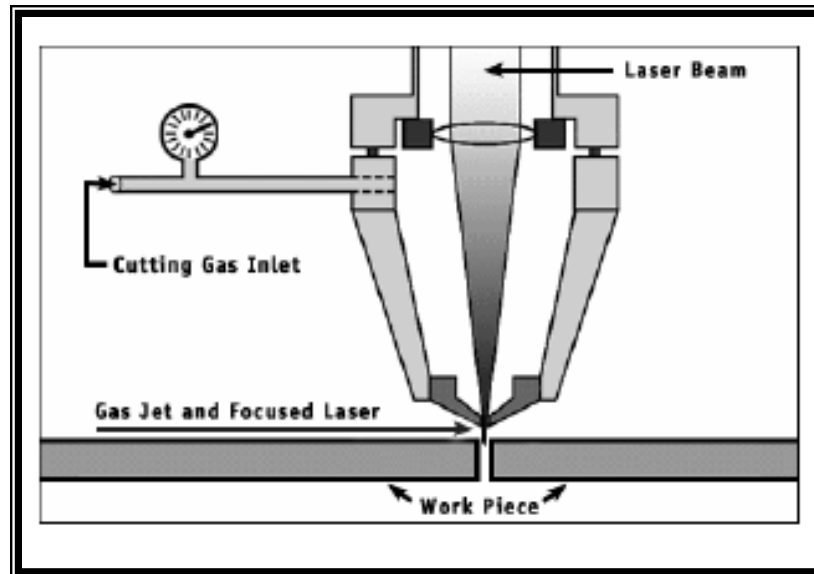


Figure 2.1 Laser cutting



- **Advantage^[2]**

- Ease of automation. سهولة الأتمتة (تشغيل الجهاز أوتوماتيكياً)
- Small **Heat Affect Zone (HAZ)**. صغر حجم المساحة المتعرضة للحرارة
- Narrow & high-precision Kerf. القطع ضيق وبالغ الدقة
- Frequently higher speed than other methods. القطع بالليزر أسرع من الطرق الأخرى
- When the laser beam is focused on the material, the speed of cutting will be:

$$V_c = \frac{dH}{Z\rho(CT_v + L_v)} \dots\dots\dots(2.5)$$

- Where:
- **V_c : Cutting Speed (mm/s).**
- **d : Focused beam diameter (mm).**
- **H : Heat flow or Intensity (w/m^2).**
- **Z : Cutting depth (mm) or thickness.**
- **ρ : Density (kg/m^3).**
- **C : Specific heat capacity ($Jkg^{-1}.k^{-1}$).**
- **T_v : Boiling point (k).**
- **L_v : Latent heat of vaporization ($J.kg^{-1}$).**



- Most materials can be readily cut using a **CO₂** laser with the exception of those such as brass, copper & aluminum which have high reflectance at 10.6 μm. However, since the reflectances are much lower at 1.06 μm **Nd:YAG** lasers can be used instead^[4].
- **Question: Proof** that cutting speed (**V_c**) equal to:

$$V_c = \frac{dH}{Z\rho(CT_v + L_v)}$$



Answer:

By assuming that the *cutting is a limited number of drilling*, from the figure below we get:

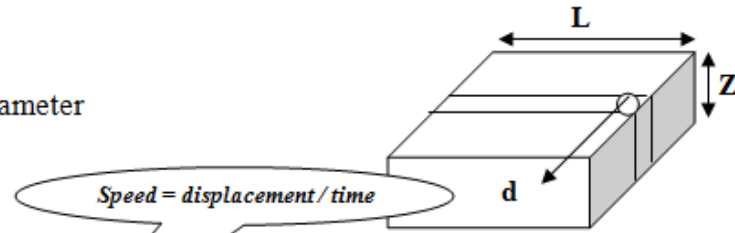
L: Cutting length

d: Drilling or focused diameter

t_d : Drilling time

t_c : Cutting time

n: number of holes



$$t_c = nt_d \dots\dots\dots(1)$$

$$V_c = \frac{L}{t_c} \dots\dots\dots(2)$$

$$\text{From (1 \& 2)} \quad t_d = \frac{L}{nV_c} \dots\dots\dots(3)$$

$$V_p = \frac{Z}{t_d} \dots\dots\dots(4)$$

$$\text{From (3 \& 4)} \quad V_c = \frac{L V_p}{n Z} \dots\dots\dots(5)$$

$$\text{Cutting length} = n \times \text{Drilling diameter} \dots\dots\dots(6)$$

$$L = nd$$

$$\text{From (5 \& 6)} \quad V_c = \frac{dV_p}{Z} \dots\dots\dots(7) \quad \square$$

$$\text{Penetration Speed } V_p = \frac{H}{\rho(CT_v + L_v)} \dots\dots\dots(8)$$

$$\text{From (7 \& 8)} \quad V_c = \frac{dH}{Z\rho(CT_v + L_v)}$$

The end



Example-7:

As an example of metal for which we have the required thermal constant:

$$C = 435$$

$$L_V = 6.8 \times 10^6$$

$$\rho = 7870$$

$$T_V = 316$$

And we suppose the laser beam to have a power of (1 Kw) and to be focused down to a spot diameter of (0.25 mm). **Find the cutting speed** at thickness of (2.5 mm).

Solution:

$$H = \frac{P}{A} = \frac{P}{\pi r^2} = \frac{1 \times 10^3}{\pi \left(\frac{0.25}{2} \times 10^{-3}\right)^2} = 2 \times 10^{10} \text{ (w/m}^2\text{)}$$

$$V_P = \frac{H}{\rho(C T_V + L_V)} = \frac{2 \times 10^{10}}{7870(435 \times 316 + 6.8 \times 10^6)} = 366 \text{ (mm/s)}$$

$$V_c = \frac{d V_P}{Z} = \frac{0.25 \times 310}{2.5} = 36.6 \text{ (mm/s)}$$

